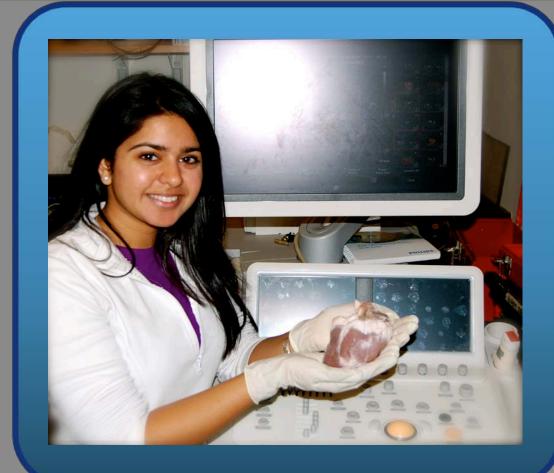
Hemodynamic Assessment of Bicuspid Aortic Valves as a Clinical Diagnostic Tool

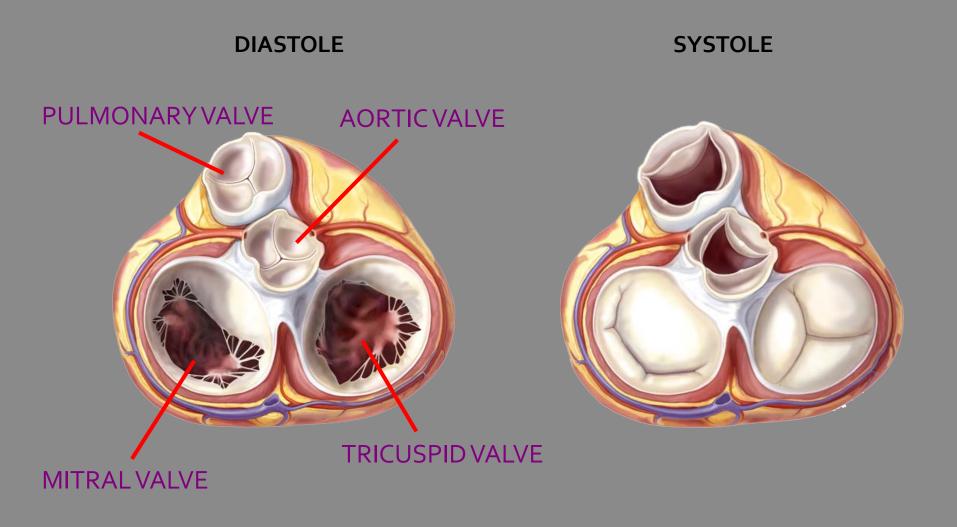


2010 Undergraduate Research Kaleidoscope

November 18, 2010

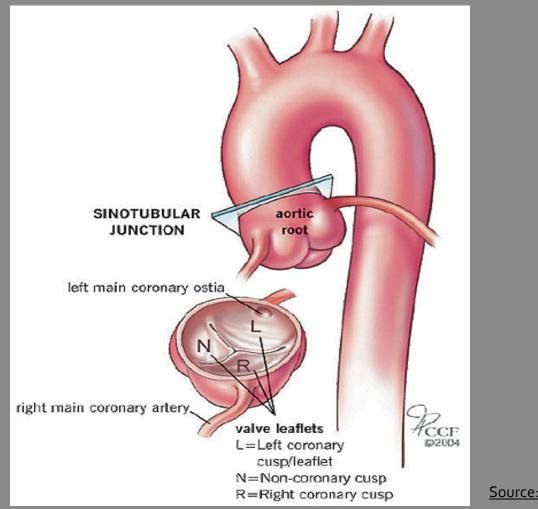
Shabnam Gupta School of Engineering Department of Biomedical Engineering Mentor: Neela Saikrishnan

Background-The Heart





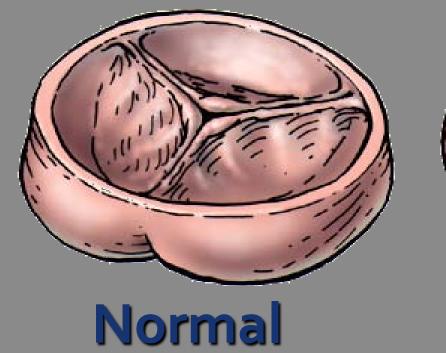
Background- The Aortic Valve

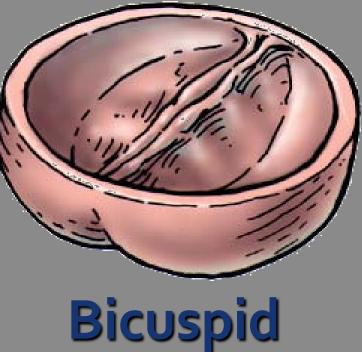


Source: Cleveland Clinic

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Valve Geometries







Familiar Faces



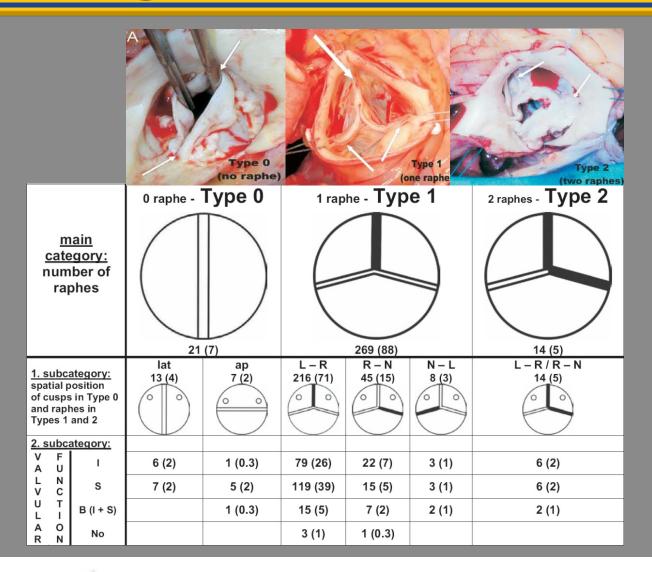
Robin Williams

Barbara Bush

Arnold Schwarzenegger



Background on BAV



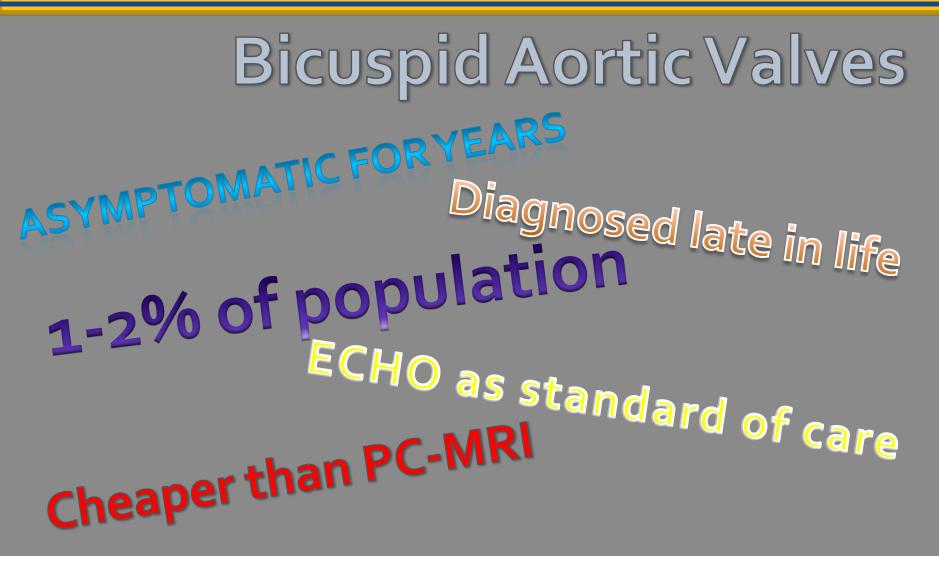


Diseased valve

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Motivation for Project

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Objective of Project

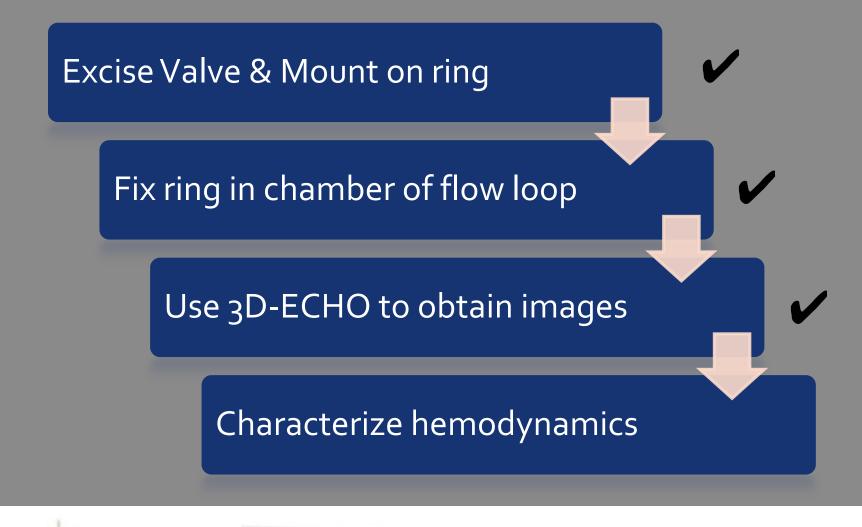
Clinical diagnostic tool for BAV Patients

Ultrasound for images Reconstruct geometries & repeat

Assess Hemodynamics

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Project Overview





How to obtain valves



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Excising the aortic root





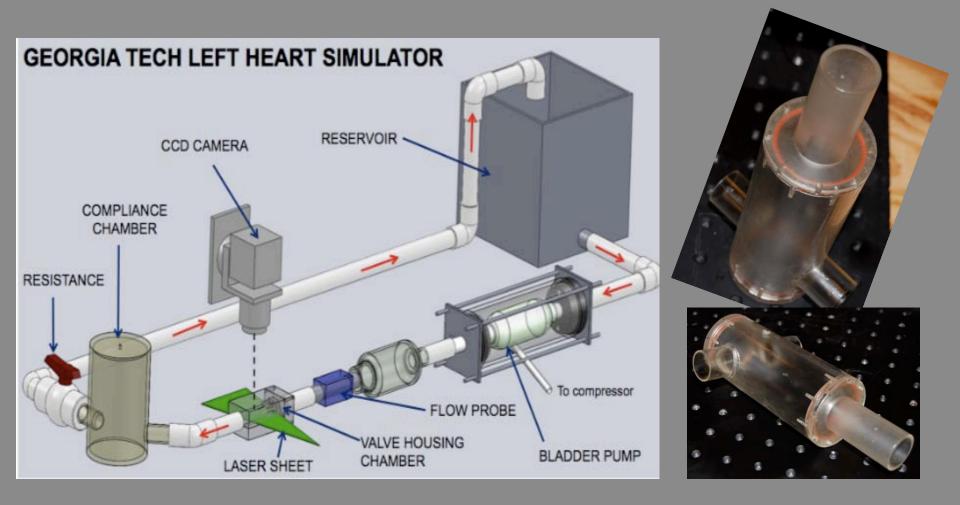


Suturing & Mounting Valve





Experimental Setup



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Equipment



Ultrasound Machine: iE33, Philips Inc, Andover, MA



Pediatric Probe

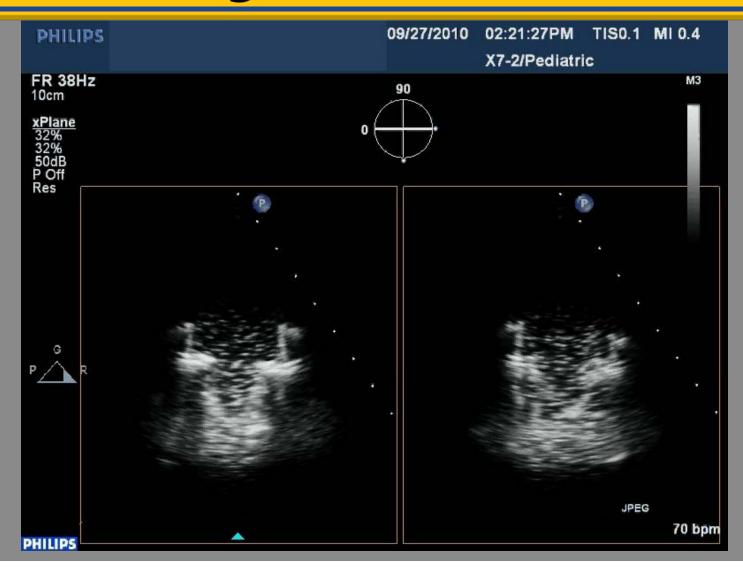
Georgia Tech College of Engineering

2D Image- Normal valve



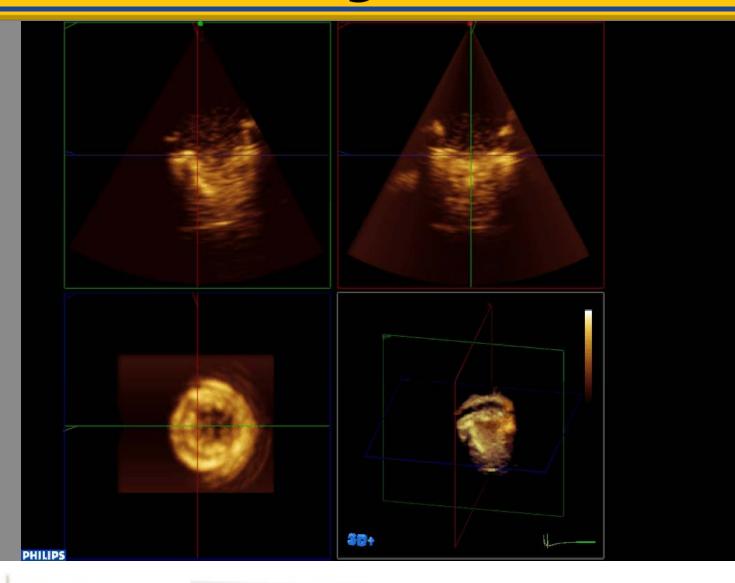
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Xplane Image- BAV



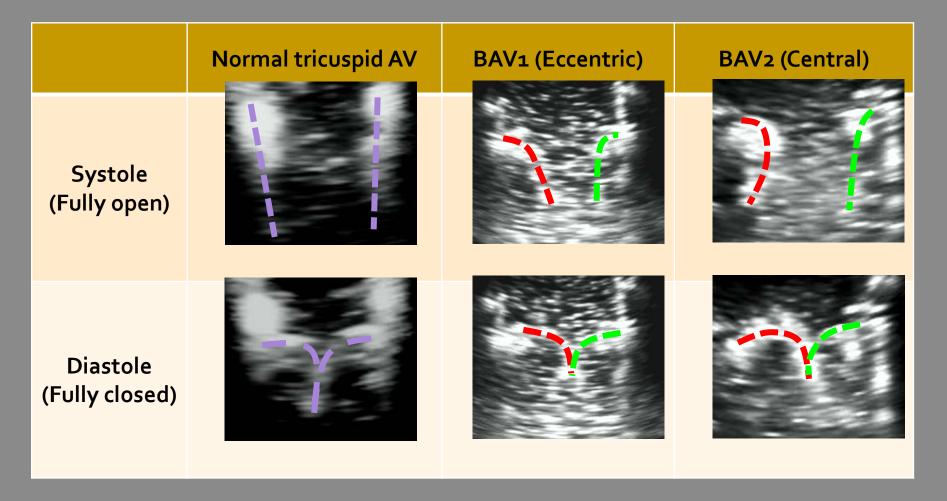
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Full-Volume Images- BAV



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2D ECHO ASSESSMENT OF VALVES







Future tasks

$$\frac{\partial}{\partial \theta} \left(\overline{h_{\theta}}^{3} \frac{\partial \overline{P_{\theta}}}{\partial \theta} \right) + \left(\frac{D}{L} \right)^{2} \frac{\partial}{\partial \overline{z}} \left(\overline{h_{\theta}}^{3} \frac{\partial \overline{P_{\theta}}}{\partial \overline{z}} \right) = \Lambda \frac{\partial \overline{h_{\theta}}}{\partial \overline{z}}$$
(7)

$$\frac{\partial}{\partial \theta} \left(\overline{u} = \overline{U} + \overline{U}^{\dagger}_{xs} \theta \frac{\partial \overline{P_{\theta}}}{\partial \theta} \right) + \left(\frac{D}{L} \right)^{2} \frac{\sigma_{p1} - \sigma_{p2}}{\partial \overline{z}}$$
(8)

$$+ \left(\frac{D}{L} \right)^{2} \frac{\partial}{\partial \overline{z}} \left(3\overline{h_{\theta}}^{2} \cos \theta \frac{\partial \overline{P_{\theta}}}{\partial \theta} \right) + \left(\frac{U}{L} \right)^{2} \frac{\sigma_{p1} - \sigma_{p2}}{\partial \overline{z}} \right)$$
(8)

$$- \overline{V} = \overline{V} + \overline{V}^{\dagger}_{y} \cos \theta \frac{\partial \overline{P_{\theta}}}{\partial \theta} + \left(\frac{U}{L} \right) \frac{\sigma}{\partial \overline{z}} \left(\overline{h_{\theta}}^{3} \frac{\sigma_{p2}}{\partial \overline{z}} \right) + \left(\frac{U^{\dagger}\overline{U} - \overline{v^{\dagger}\overline{v}^{\dagger}}}{2} \right) + \left(\frac{U^{\dagger}\overline{v}}{2} - \sqrt{\left(\frac{u^{\dagger}\overline{u}}{2} - \overline{v^{\dagger}\overline{v}^{\dagger}} \right)^{2}} \right)$$
(9)

$$+ \left(\frac{D}{L} \right)^{2} \frac{\partial}{\partial \overline{z}} \left(3\overline{h_{\theta}}^{2} \cos \theta \frac{\partial \overline{P_{\theta}}}{\partial \overline{z}} \right) = \overline{\sigma_{p2}} = \rho \left[\frac{\overline{u^{\dagger}\overline{u}} + \overline{v^{\dagger}\overline{v}}}{2} - \sqrt{\left(\frac{\overline{u^{\dagger}\overline{u}} - \overline{v^{\dagger}\overline{v}^{\dagger}} \right)^{2}} + \left(\overline{u^{\dagger}\overline{v}^{\dagger}} \right)^{2} \right)$$

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Kaleidoscope of Mechanical Heart



