

# ROBUST AND RELIABLE ERROR DETECTION AND CORRECTION FOR AUTONOMOUS SYSTEMS

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## MOTIVATION

- Emergence of safety-critical autonomous cyber-physical systems
- Increasing vulnerability to electro-mechanical performance degradation and failures
- A self-driving car failed about every 3 hours due to hardware or software malfunction

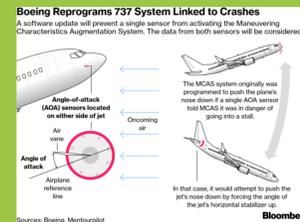
Company	Autonomous miles	Disengagements	Rate per 1000 miles
Google	635868	124	0.20
Cruise	10015	284	28.36
Nissan	4099	26	6.33
Delphi	3125	178	56.95
Bosch	983	1442	1466.94
Mercedes	673	336	498.95
BMW	638	1	1.57
Ford	590	3	5.08
Tesla	550	182	330.91
Honda	0	0	0.00
VW	0	0	0.00

2016 Autonomous vehicle disengagement data: California Department of Motor Vehicles

## MOTIVATION

Boeing's Crashes Expose Reliance on Sensors Vulnerable to Damage  
 By Alan Levin and Ryan Beene | April 11, 2019

<https://www.claimsjournal.com/news/international/2019/04/11/290347.htm>



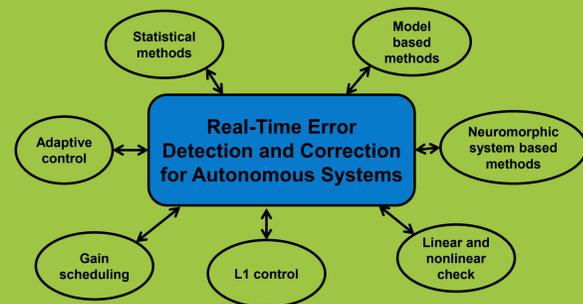
Related issues with Uber, Tesla, Google (Waymo) and Ford Source:

- [1] Boeing's crashes expose reliance on sensors vulnerable to damage, 2019.
- [2] Report: Uber's self-driving car sensors ignored cyclist in fatal accident, 2018.
- [3] Report: Tesla says fatal crash involved Autopilot, 2018
- [4] Report: A Google self-driving car caused a crash for the first time, 2016.
- [5] Report: Ford-backed self-driving car involved in an accident that sent two people to the hospital, 2018.

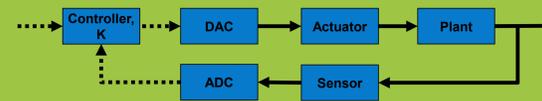
## PROBLEM STATEMENT

Design self-aware autonomous systems that are resilient to electro-mechanical degradation, failures in sensors, actuators and control program

Need to address error detection, diagnosis and correction/compensation in real-time without expensive hardware and computation overhead



## PRELIMINARIES: STATE VARIABLE SYSTEM



Plant – physical process to be controlled  
 Actuators/Sensors – Interface between digital and analog world  
 Controller – Running on digital processor core

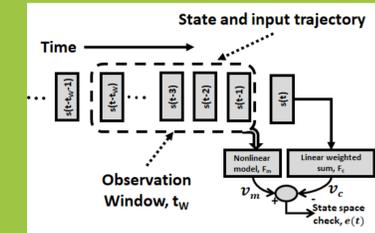
$$\dot{x} = f(x, u) + w(t)$$

$$y = h(x) + v(t)$$

→ Analog signal  
 →→ Digital signal

$f(\cdot)$  = System dynamics  
 $h(\cdot)$  = Measurement model  
 $w(t), v(t)$  = Process and measurement noise (Zero mean gaussian)

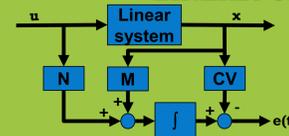
## STATE SPACE CHECKS FOR NONLINEAR SYSTEMS



$$s(t) = \begin{bmatrix} y(t) \\ u(t) \end{bmatrix}$$

- Each column represents of observable state measurements and inputs
- $F_m$  is trained by nonlinear machine learning model
- $F_c$  is computed by linear weighted sum of next states
- State space check is defined as:  $e(t) = v_m(t) - v_c(t)$

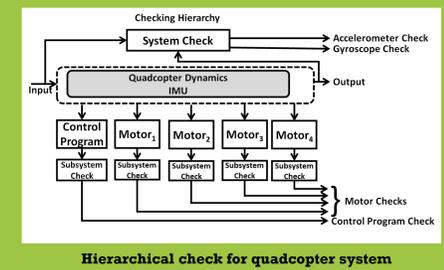
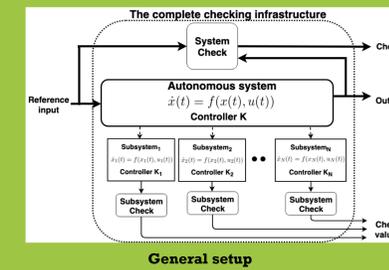
## PRELIMINARIES: LINEAR STATE VARIABLE SYSTEM AND LINEAR CHECK



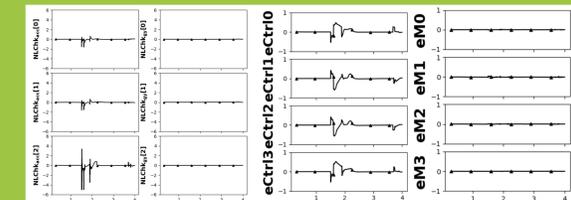
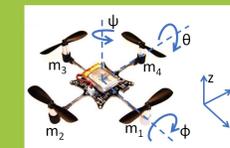
$$\dot{x} = Ax + Bu$$

- Introduce coding vector ( $CV$ ), a row matrix
- $M = CV \cdot A, N = CV \cdot B$
- Multiply with  $CV$  and integrate
- Linear check,  $e(t) = M \int x(t) dt + N \int u(t) dt - CV \cdot x(t)$
- By design,  $e(t) = 0$  in nominal system in nominal condition
- Practically, for noise and other modeling mismatches,  $e(t)$  is bounded
- Overhead is  $\frac{1}{n}$ , since for  $n$  states, 1 extra state is being computed
- Any malfunction in plant/controller detected in real time

## HIERARCHICAL CHECKS FOR NONLINEAR SYSTEMS

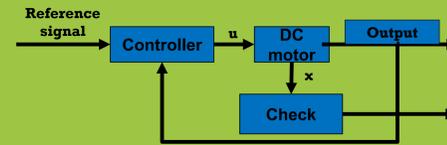


## TEST CASE (QUADCOPTER) AND EXPERIMENTAL RESULTS



- 12 state variables
- state =  $[x, y, z, \dot{x}, \dot{y}, \dot{z}, \phi, \psi, \dot{\phi}, \dot{\psi}]^T$
- Sensor: Accelerometer and Gyroscope
- Actuator: Brushless DC motor

## TEST CASE AND EXPERIMENTAL RESULTS



$R_a$  = Armature resistance,  $L_a$  = Self-inductance,  $K_b$  = Back emf constant,  $K_t$  = Torque constant,  $J$  = Moment of inertia,  $B_1$  = Co-efficient of viscous friction

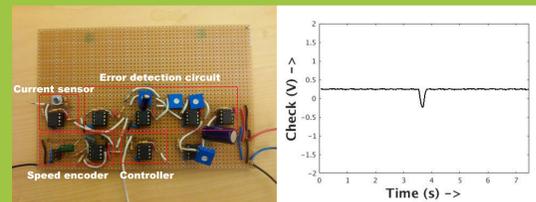
2 states:  $i_a$  = Armature current,  $\omega$  = Rotor speed

Governing equation

$$\dot{i}_a = -\frac{R_a}{L_a} i_a - \frac{K_b}{L_a} \omega + \frac{1}{L_a} V$$

$$\dot{\omega} = \frac{K_t}{J} i_a - \frac{B_1}{J} \omega - \frac{1}{J} T_L$$

$$\text{Check, } e(t) = M \int x(t) dt + N \int u(t) dt - CV \cdot x(t)$$



Check due to Power supply transient (detected instantaneously)

